COMMENTS ON INVESTMENT AND INSTITUTIONS

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SUMMARY OF THE PAPER

- How institutional environment affect investment efficiency?
- Combines two lines of reasearch
 - Institutions, capital allocation and economic performance
 - *Tobin's Q* (deviation from its steady state) as a measure of (in)efficient use of capital
- Shows theoretically how institutions afect financial frictions and rate of return that in turn influence adjustment of *Tobin's Q* to its steady state

SUMMARY OF THE PAPER

- Empirically decomposes the effects of institutions on *Tobin's Q* along these two channels on a sample of 75,000 firms from 48 countries for the period 1990 to 2007
- Main finding: Informational frictions related to corporate governance and contractual enforcement are most important in determining financial frictions and in turn investment efficiency
- Creditor rights, financial depth, and product market competition do not matter for investment efficiency

- In Tobin's model $q_t = 1$ when there is no investment (is this steady state?)
- Can you use deviation of *Tobin's Q* from its steady state (1) as a measure of investment efficiency?
- What does it mean to overinvest (bubbles?) or to underinvest in a model without frictions?
- Pareto efficiency: allocation is efficient iff it is a solution of the Social Planner's problem
- Second and First welfare theorem: without frictions any efficient allocation can be decentralized into a competitive equilibrium allocation; a competitive equilibrium allocation is efficient

- Take a simple *RBC* model with capital adjustment costs where the only uncertainty comes from the *TFP* shock
- Capital evolves through standard law of motion

$$k_{t+1} = i_t + (1 - \delta)k_t$$

where capital is subject to (convex) capital adjustment costs

1

$$\phi\left(\frac{i_t}{k_t}\right)k_t$$

that is payed out of profits where $\phi\left(\cdot\right)>0,\phi'\left(\cdot\right)>0,\phi''\left(\cdot\right)<0$ with $\phi\left(\delta\right)=\phi'\left(\delta\right)=0$

• For example, a number of papers take (ψ determines the magnitude od adj. costs)

$$\phi\left(\frac{i_t}{k_t}\right) = \psi\left(\frac{i_t}{k_t} - \delta\right)^2$$

 Goods are produces using capital only and production is subject to the TFP shock At

$$y_t = A_t k_t$$

• Firms are choosing investment to maximize expected discounted profits

$$E_0 \sum_{t=0}^{\infty} \beta^t \left\{ A_t k_t - i_t - \phi\left(\frac{i_t}{k_t}\right) k_t \right\}$$

subject to the law of motion for capital

$$k_{t+1} = i_t + (1 - \delta)k_t$$

- Let the q_t be a Lagrange multiplier associated with the capital law of motion: shadow price of installed capital (**Tobin' Q**)
- FOC with resprect to investment yields a formula for Tobin's Q, q_t

$$\phi'\left(\frac{i_t}{k_t}\right) = q_t - 1$$

- The steady state of *Tobin's Q* is 1 since in steady state $i = \delta k$ and $\phi'(\delta) = 0$: there is **no** capital adjustment costs in the steady state
- Outside the steady state dynamics of *Tobin's Q* is asociated with movements in investment/capital (and vice versa) that depends on marginal product of capital which is subject to *TFP* shocks
- Social Planner would compute the same allocations (First welfare theorem)
- Thus, all those allocation in the steady state and OUTSIDE OF IT are efficient!

Comment 2: Investment adjustment costs vs. Capital adjustment costs

• Authors use "standard" investment adjustment costs

$$\phi(i_t, k_t) = c_1 i_t + c_2 k_t + c_3 \left(\frac{i_t}{k_t}\right)^2 k_t$$

which is actually CAPITAL adjustment costs since it is punishing the change in capital

$$\phi(i_t, k_t) = c_1 i_t + c_2 k_t + c_3 \left(\frac{k_{t+1} - k_t (1 - \delta)}{k_t}\right)^2 k_t$$

 Why is this name important: Beaubrun-Diant and Tripier (2005) show that models with adjustment costs penalizing the changes of investment (φ (ⁱ_t)) can explain both asset returns and business cycle facts (in comparison with models with capital adjustment costs)

COMMENT 3: WHAT SI INVESTMENT ADJUSTMENT COST FUNCTION?

• How is adjustment cost function

$$\phi\left(i_t, k_t\right) - \delta k_t - i_t$$

which is

$$\phi(i_t, k_t) = \begin{cases} \phi(k_{t+1} - (1 - \delta)k_t, k_t) & \text{if } i_t > 0\\ -\delta k_t & \text{otherwise} \end{cases}$$

related to its calibrated version

$$\phi(i_t, k_t) = c_1 i_t + c_2 k_t + c_3 \left(\frac{i_t}{k_t}\right)^2 k_t$$

• Are $c_1 = -1$ and $c_2 = -\delta$? but they are functions of institutions...

• At p. 10 the authors says that inv. adjustment costs are 0 when $i_t \leq 0$?

COMMENT 4: INVESTMENT ADJUSTMENT COSTS AND *Tobin's Q*

• This "standard" investment adjustment costs function

$$\phi(i_t, k_t) = c_1 i_t + c_2 k_t + c_3 \left(\frac{i_t}{k_t}\right)^2 k_t$$

does not satisfy standard restictions (like in *Boldrin, Christiano, Fisher* (2001), Baxter and Crucini (1995), Jermann (1998), Kolmann (1996), Kehoe and Perri (2001), Hennessya, Levyb, and Whited (2007))

$$\phi(\delta) = \phi'(\delta) = 0$$

that ensure that incorporation of the adjustment cost does not affect the steady state of the model (otherwise calibration of the model would not be posible)

- Author's adjustment costs are **non-zero** in the steady state (?): Tobin's Q is different from 1 in the steady state?
- Adjustment costs are 0 only if $k_t = 0$ (!) (together with $i_t = 0$): Inada conditions not satisfied?

Comment 5: Investment adjustment costs in the US

• Even if *Tobin's Q* is 1 in the steady state in the data, on average, it is below 1 for the *US* economy: inefficient investment?



COMMENT 6: AVERAGE VS. MARGINAL Tobin's Q

- Authors say that they assume "what ever it takes" for the average and marginal *Tobin's Q* is equal (since average *Q* is observable, marginal *Q* is the one important for investment decision)
- Lorenzoni and Walentin (2006) in a model with financial friction due to limited enforcement of financial contracts show that average and marginal Tobin's Q are different
- Notice that this financial friction is one of main determinants of *Tobin's Q* in the paper that assumes average and marginal *Q* are the same
- On the other side, a structure behind the estimated model is suggesting that average and marginal Q are different

COMMENT 7: "REAL" INVESTMENT ADJUSTMENT COSTS AND INSTITUTIONS

- In the robusness check, authors say that good institutions reduce investment adjustment costs
- Take again the *RBC* model from the begining of the presentation
- Simulate it for two countries which differ only in the parameter that affects the "volume" of adjustment costs (elasticity of investment with respect to *Tobin's Q*)
- What you get is higher volatility of investment for a country with lower adj. costs (because of better institutions): is this something that we observe in reality (*Cicco, Pancrazi, Uribe (2006)* model with financial imperfections similar to enforcement restriction)?

(volatility of investment in %)	Argentina	<i>U.S.</i>
data	20	3.1
model	13	6.45
model with fin. friction	18	-

COMMENT 8: INSTITUTION AND INVESTMENT

- Probably institution affect the level of investment and tehnology (*Acemoglu, Aghion, Zilibotti (2006)* for example)
- In a number of papers, Acemoglu shows that DIFFERENT ((*in*)appropriate) institutions affect countries on a different level of development
- Control for that?

FINAL COMMENT: A NICE RESULT

- A number of papers show that investment dynamics can be explained by movement in *Tobin's Q* (*Hennessya, Levyb, and Whited (2007), Lorenzoni and Walentin (2006), Boldrin, Christiano, Fisher (2001)* for example)
- A numer of papers show that business cycle properties can be explained by introducing contractual enforcement friction
 - Lucas paradox of why capital does not flow from rich to poor countries (Dmitriev (2009), Reinhart and Rogoff (2004))
 - International correlations puzzles of why investment, employment between US and EU are positive (Kehoe and Perri (2002))
 - Contracting institutions appear to matter for the form of financial intermediation (*Acemoglu and Johnson (2005)*)
 - Business cycle in small opet economy (*Jaimovich and Rebelo (2008), Cicco, Pancrazi, Uribe (2006)*)
- This paper suggests that this friction affect investment trough *Tobin's Q* (even if you do not assume that *Tobin's Q* is measuring investment efficiency)